

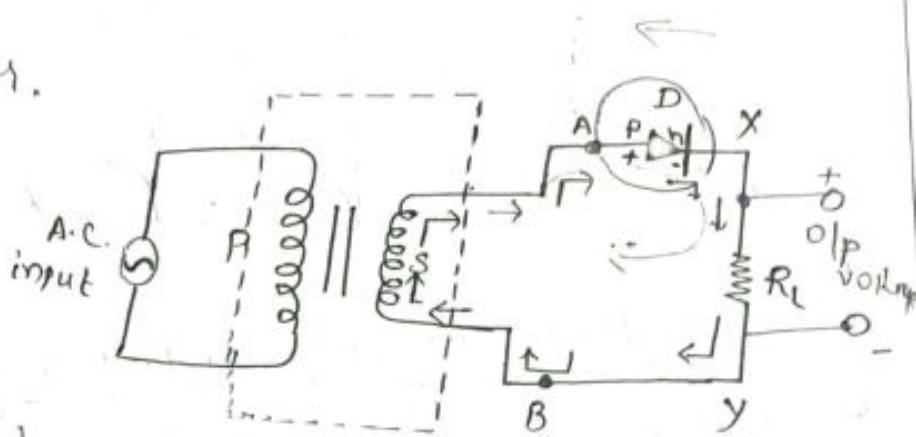
Diode as a Rectifier \Rightarrow

Rectifier \Rightarrow The process of converting alternating current into direct current is called rectification and device used for this process is called rectifier.

The p-n junction can be used as:

- (i) a half-wave rectifier
- (ii) a full-wave rectifier.

A Half-wave rectifier



It consists of a transformer, junction diode D and a load resistance R_L . The primary coil of transformer is connected to the ac mains and the secondary is connected in series with junction diode D, and load resistance R_L .

Working \Rightarrow when ac is supplied to the primary coil, the secondary of the transformer supplies desired alternating voltage across A & B. during positive half cycle of ac the end A is positive & B is negative. the diode D is forward biased and a current flows through R_L , i.e. o/p voltage \uparrow then $I \uparrow$, and $o/p = IR_L$.

during negative half cycle \Rightarrow the end A becomes negative and B positive. diode is reverse biased and no current flows. No voltage appears across R_L . In next cycle we get again o/p voltage. o/p voltage is unidirectional but pulsating.

As the voltage across the load appears only during the positive half cycle of the input ac, this process is called half wave rectification and this arrangement is called half wave rectifier.

radius of closest approach $\Rightarrow r_0$

charge on α -particle $q_1 = +2e$
 charge on scattering nucleus $= +Ze = q_2$



$Z_{lead} = 79$

where Z is no. of
 $Z =$ atom no. of foil atoms

initially K.E. of α -particle $K_{\alpha} = \frac{1}{2} m v^2$

electrostatic P.E. of α -particle

$$U = K \frac{q_1 q_2}{r_0} = K \frac{2eZe}{r_0}$$

As by conservation of energy :-

$$U = K_{\alpha} \Rightarrow K_{\alpha} = U$$

$$\frac{1}{2} m v^2 = K \frac{2eZe}{r_0}$$

$$r_0 = \frac{2Ze^2 K}{m v^2}$$

$$r_0 = \frac{4KZe^2}{m v^2}$$

where $K = \frac{1}{4\pi\epsilon_0} = 9 \times 10^9 \text{ Nm}^2/\text{C}^2$

Bohr's Quantization condition \Rightarrow consider the motion of an electron for various orbits around the nucleus of atom.
 In a circular orbit of radius r moving with velocity v
 According to de Broglie hypothesis :

$$2\pi r = n\lambda$$

$$\text{or } \lambda = \frac{h}{mv}$$

$$2\pi r = n \frac{h}{mv}$$

1) α -particle

Half-Life \Rightarrow the time interval in which the radioactive nuclei originally present in the radioactive sample disintegrate is called half-life of the radioactive substance.

Relation b/w Half-life and Decay constant \Rightarrow

$$\text{At } t = T_{1/2}, N = \frac{N_0}{2}$$

$$\because N = N_0 e^{-\lambda t}$$

$$\frac{N_0}{2} = N_0 e^{-\lambda t} = N_0 e^{-\lambda \cdot T_{1/2}}$$

$$\frac{1}{2} = e^{-\lambda T_{1/2}}$$

$$e^{\lambda T_{1/2}} = 2$$

by taking log

$$\lambda T_{1/2} \log_e = \log_e 2$$

$$T_{1/2} = \frac{2.303 \log 2}{\lambda}$$

$$T_{1/2} = \frac{2.303 \times 0.3010}{\lambda}$$

$$T_{1/2} = \frac{0.693}{\lambda}$$

mean life :- It is the ratio of the combined age of all nuclei to the total no of nuclei present in the given sample.

It is denoted by τ .

$$\tau = \frac{\text{Sum of the lives of all nuclei}}{\text{Total no of nuclei}}$$

$$\tau = \frac{T_{1/2}}{0.693} = 1.44 T_{1/2}$$

$$\tau = 1.44 T_{1/2}$$